

Astrophysical constraints on dark matter

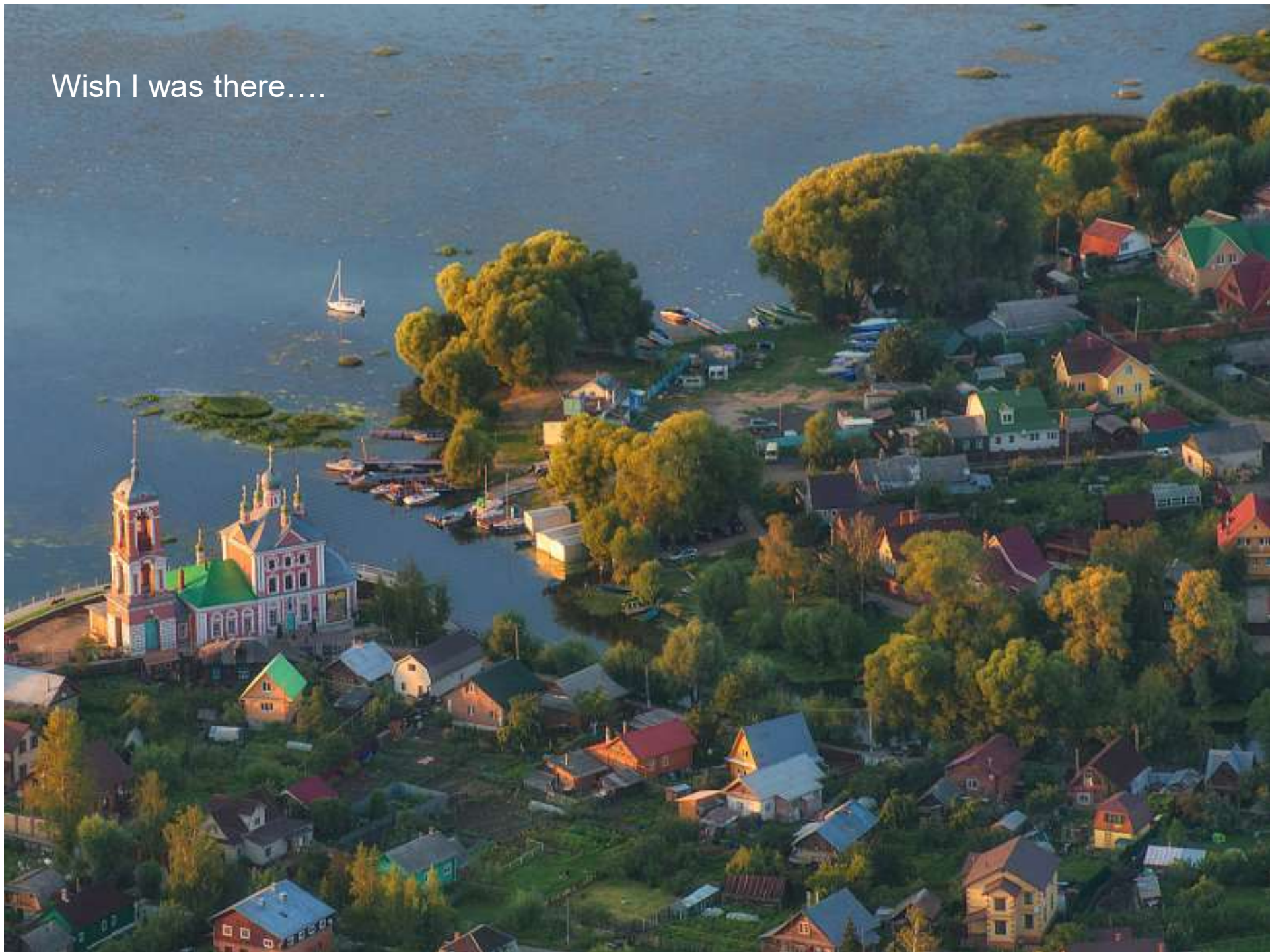
KING'S
College
LONDON

Malcolm Fairbairn

Quarks 2021



Wish I was there....





There is 6 times as much dark matter as normal matter.



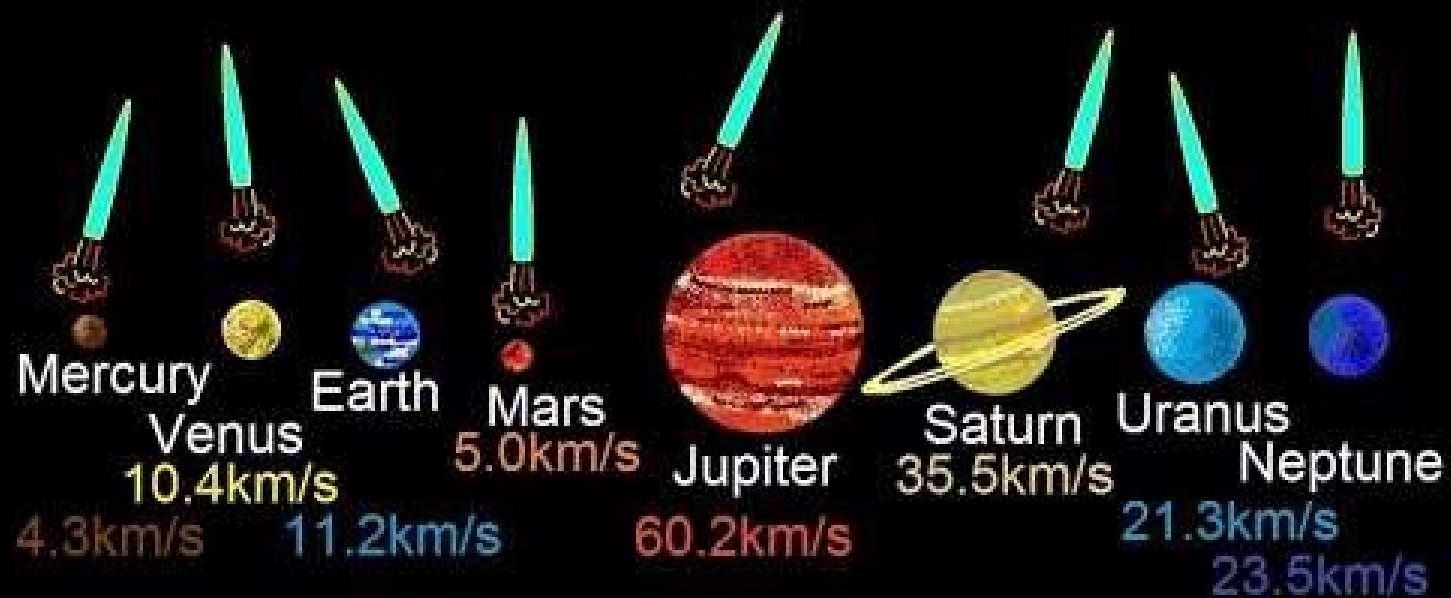
No dark matter has been detected yet!

What can we find out about it without interacting with it directly?

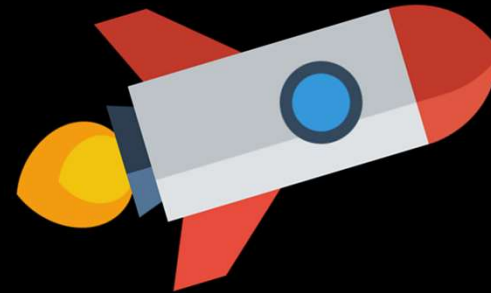
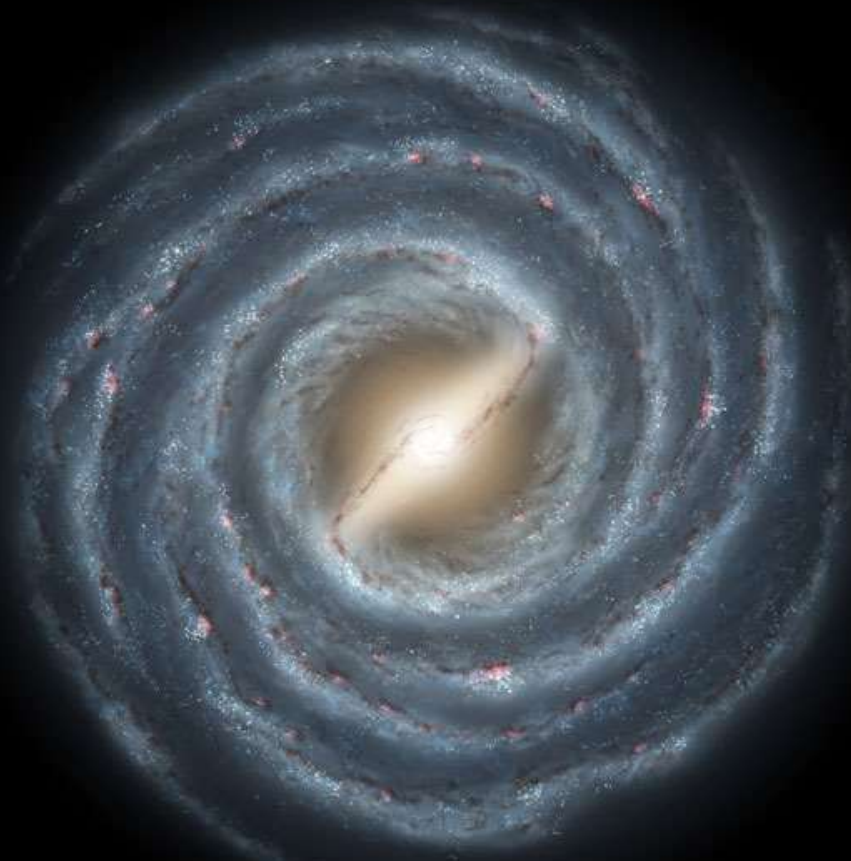
Three methods to constrain dark matter without seeing it:-

- Strong Lensing probes of dark matter (how do we learn more about DM if we can't see it)
- Effect of light dark matter on Nucleosynthesis
- Galactic Probes of fermionic dark matter

Planet Escape Velocities



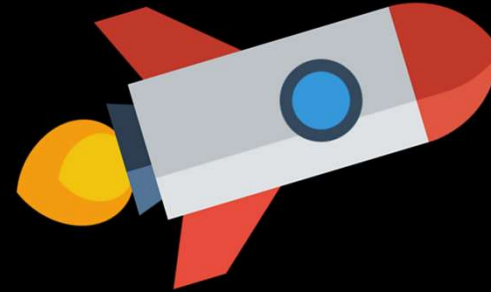
Milky Way Escape velocity



$\sim 500 \text{ km / s}$

We know dark matter must be travelling less quickly than this, since we know it is present in galaxies like the Milky Way

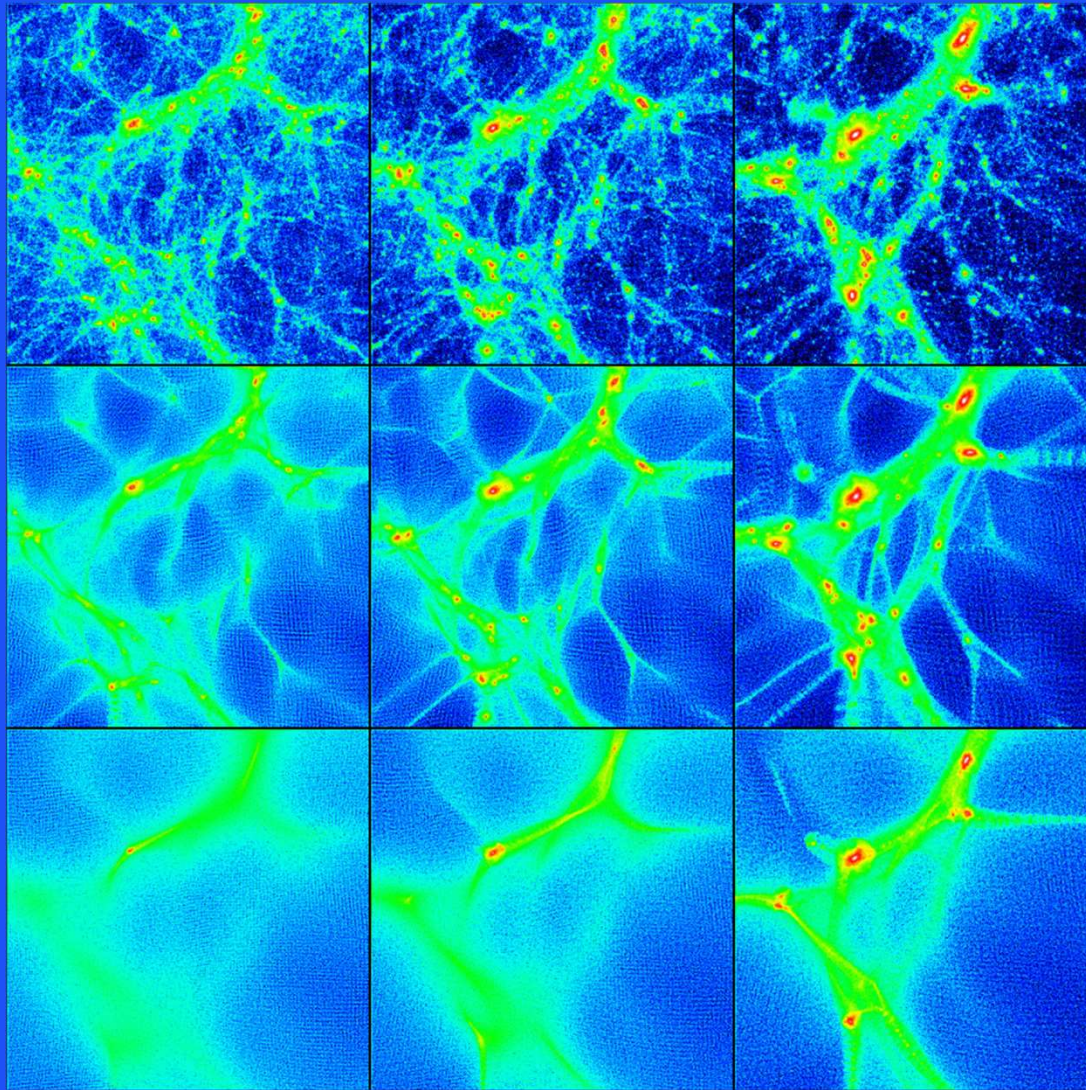
Dwarf Galaxy Escape velocity



$\sim 20 \text{ km / s}$

Dark Matter is also present in Dwarf galaxies, so we know it is moving at least this slow.

How Quickly was Dark Matter moving in the Early Universe?



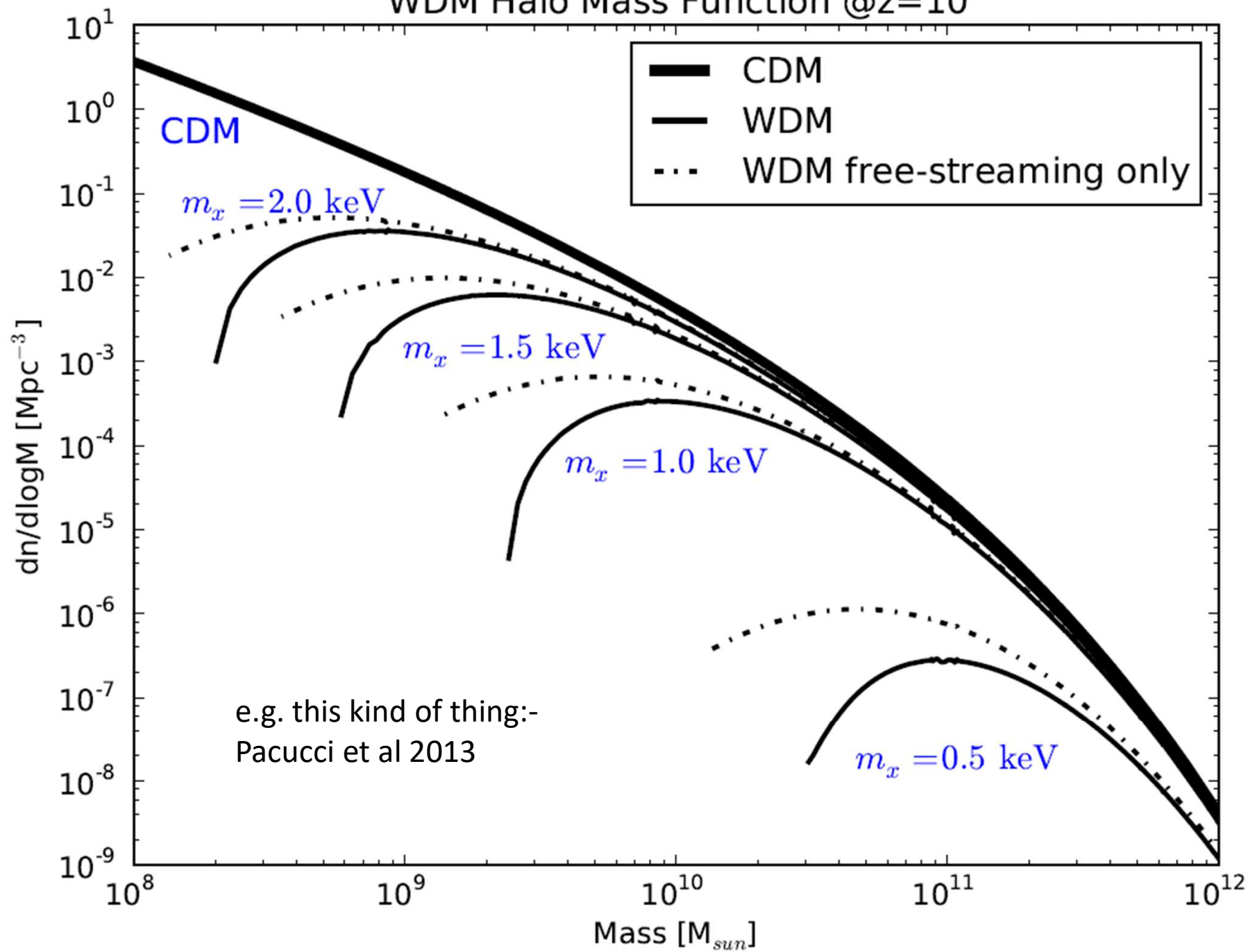
Slow moving dark matter

(computer simulations)

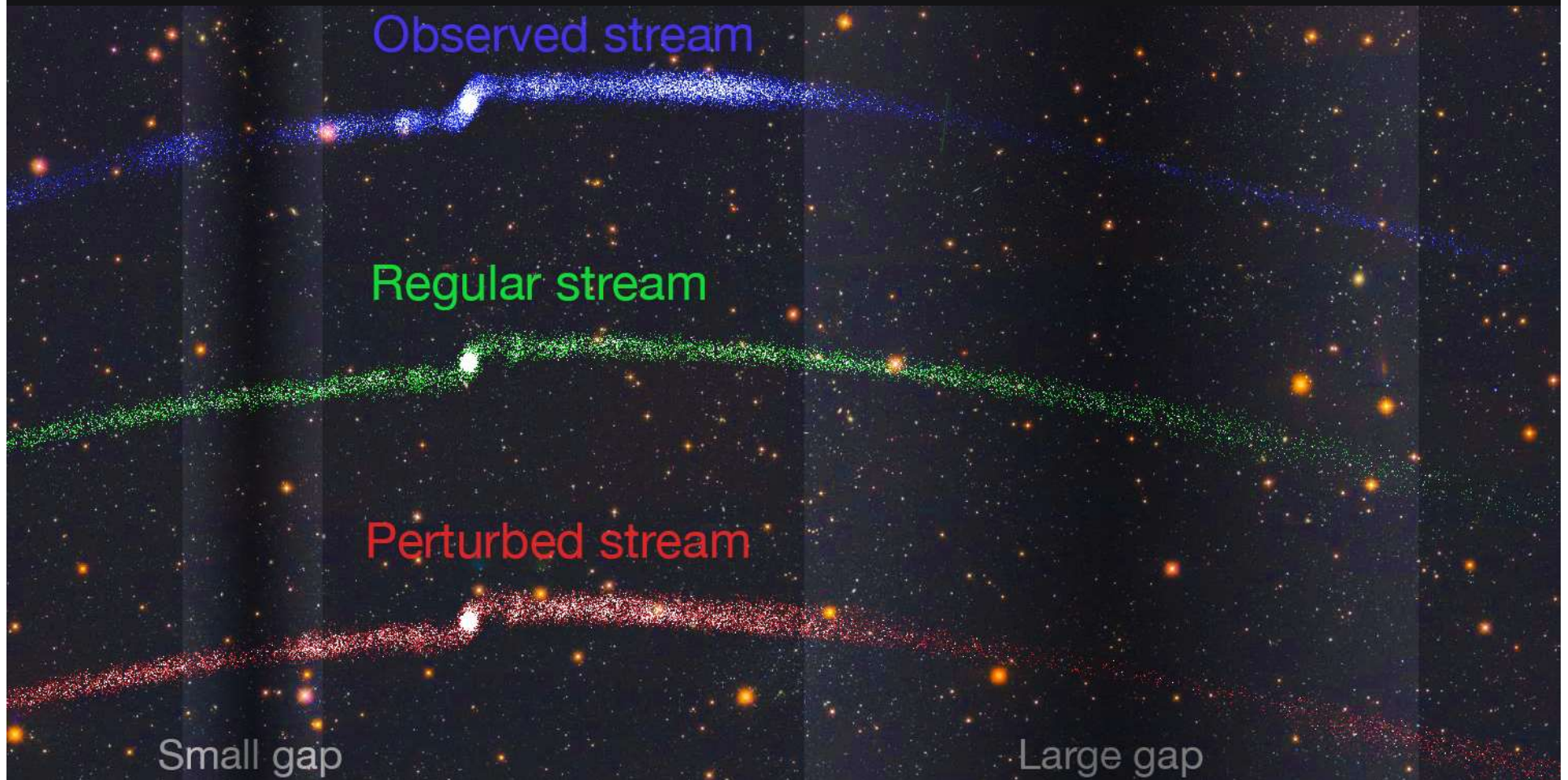
Fast moving dark matter

Different initial dark matter velocities lead to different amounts of substructure.

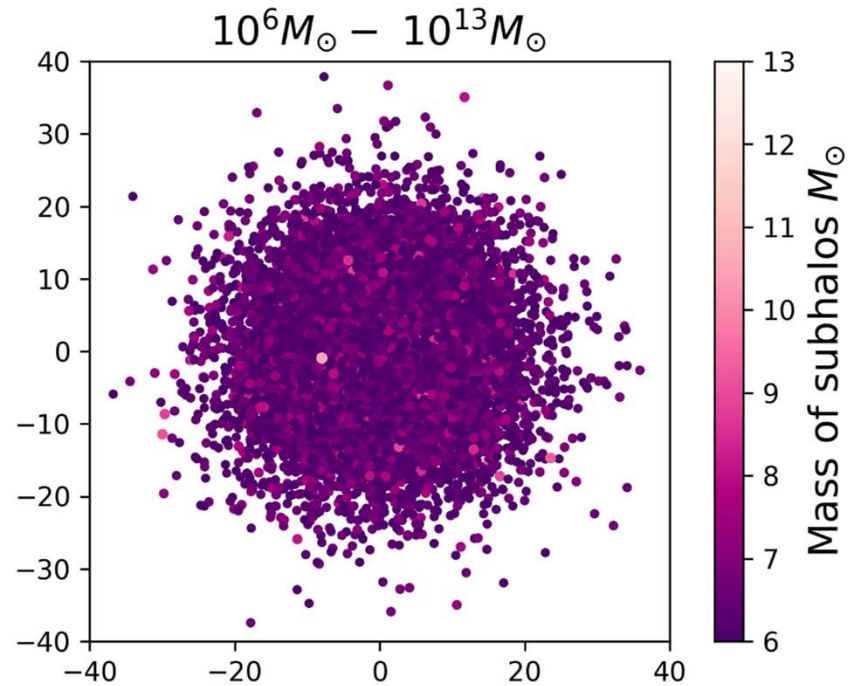
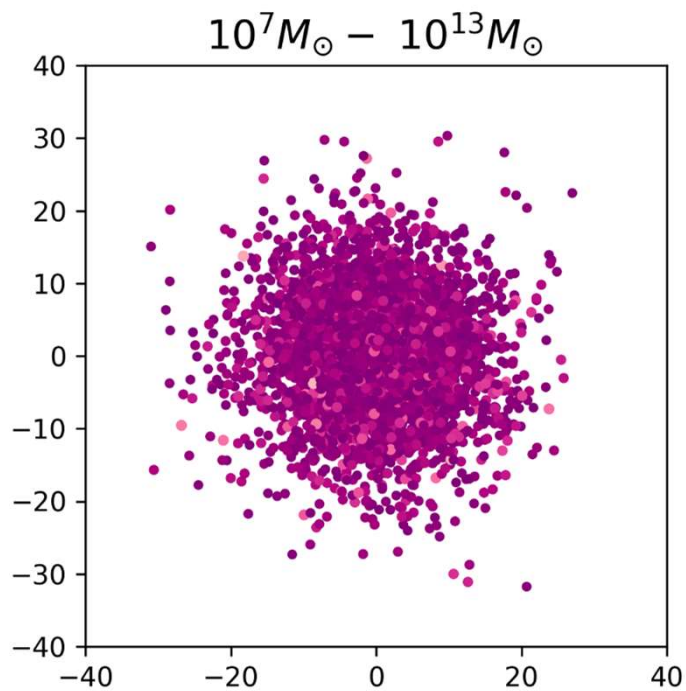
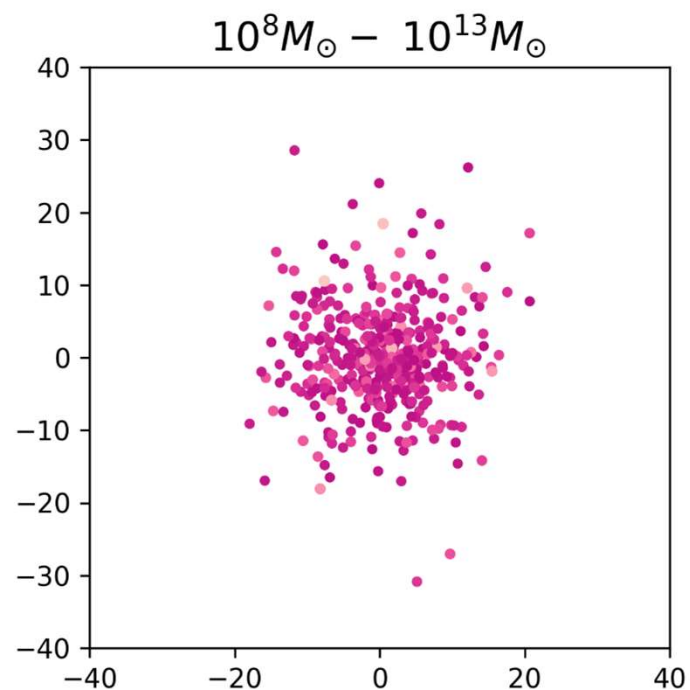
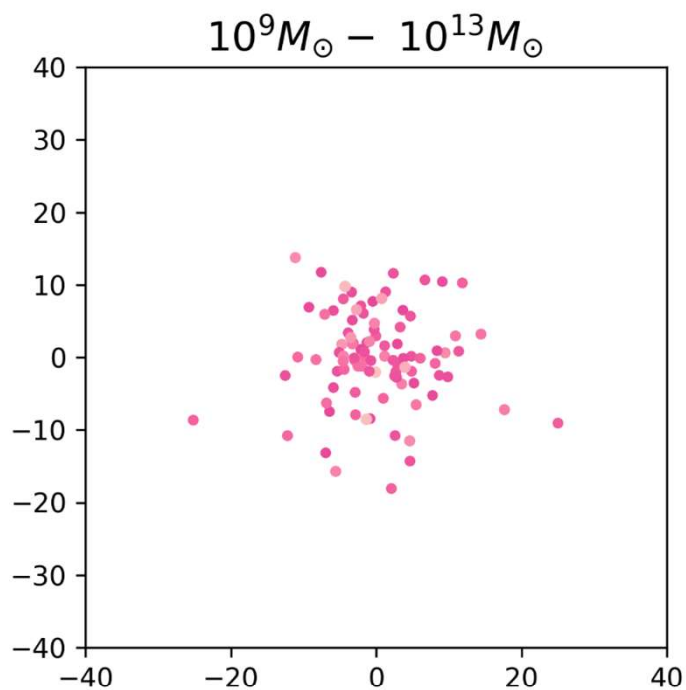
WDM Halo Mass Function @z=10



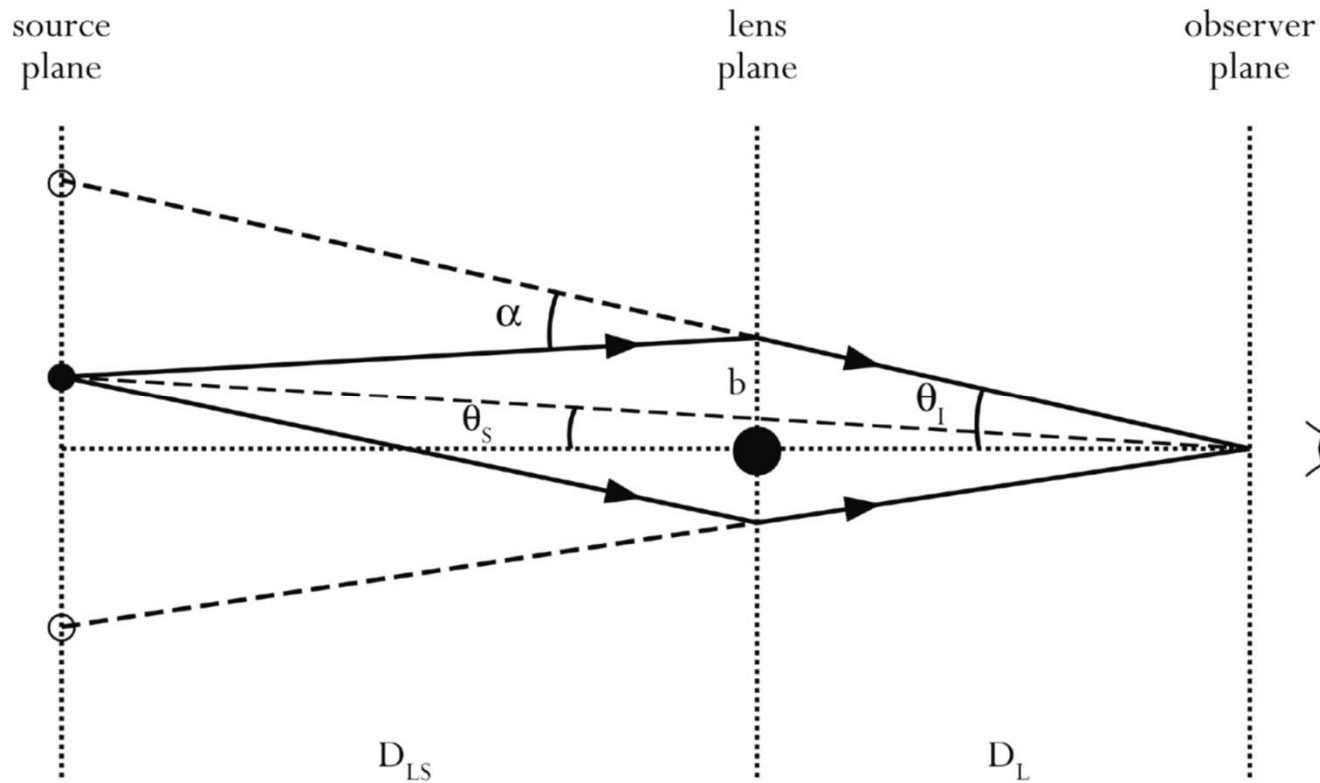
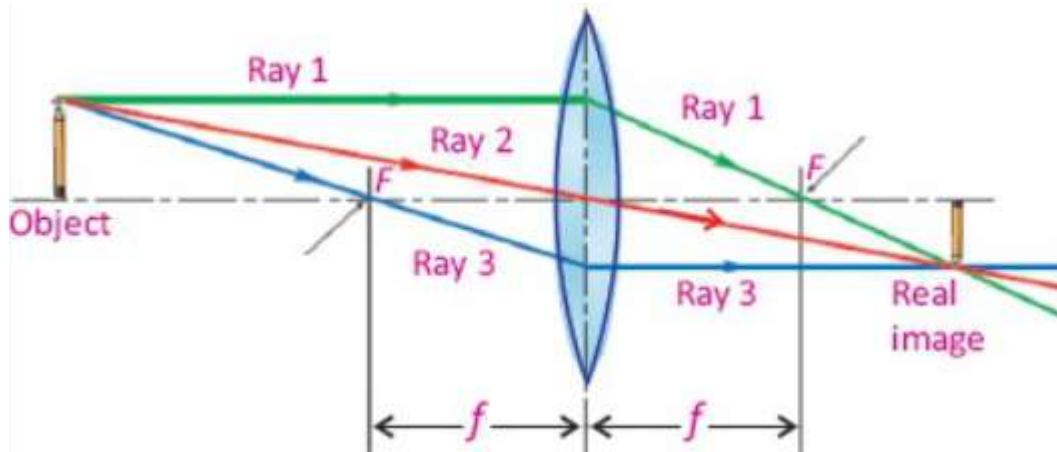
Small Subhalos can perturb stellar streams



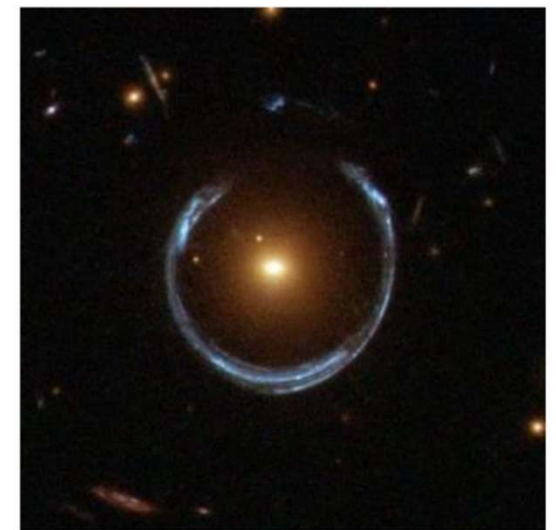
See work by Bovy, Erkal, Sanders etc
+ Bertone for possible preliminary results



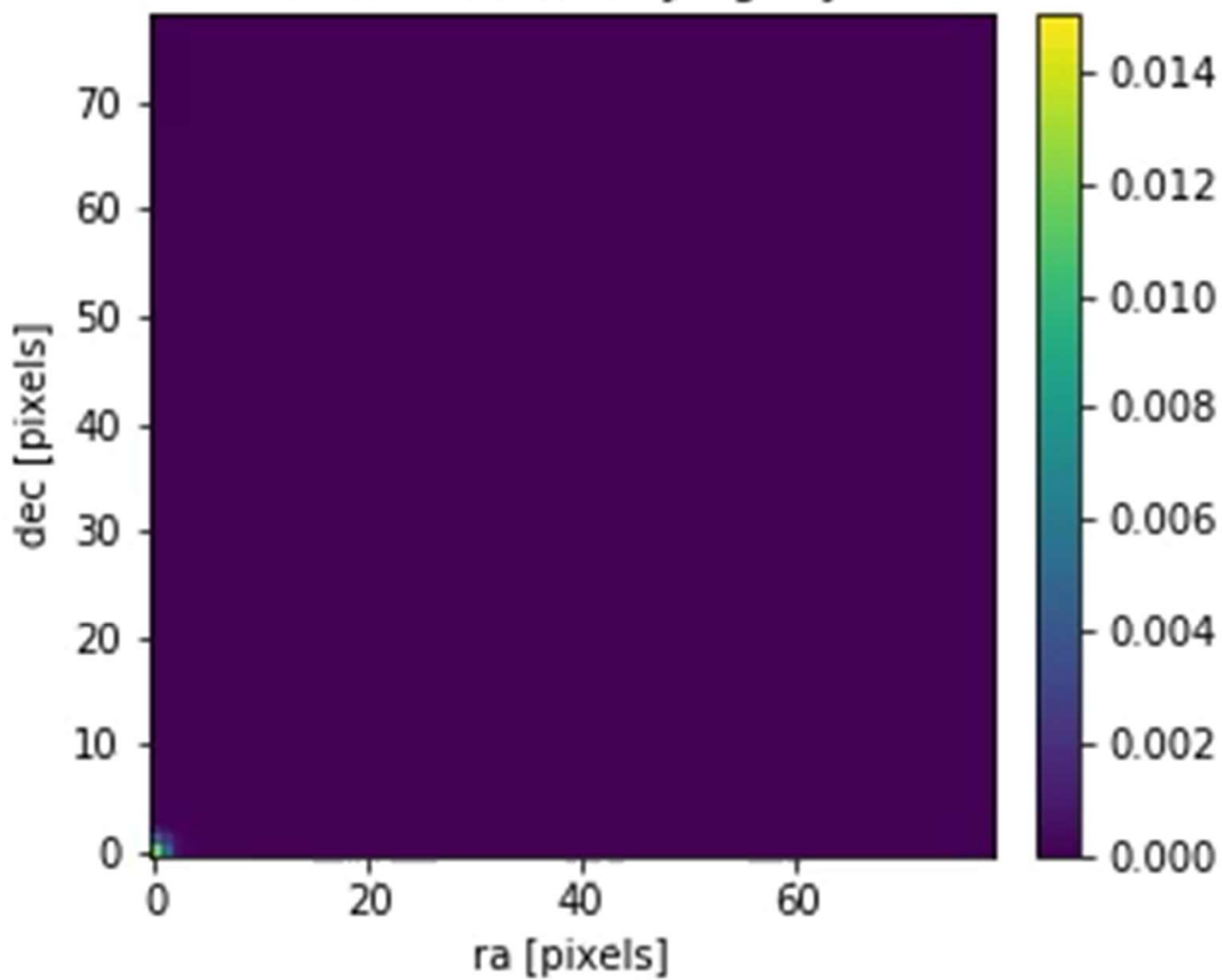
Lensing

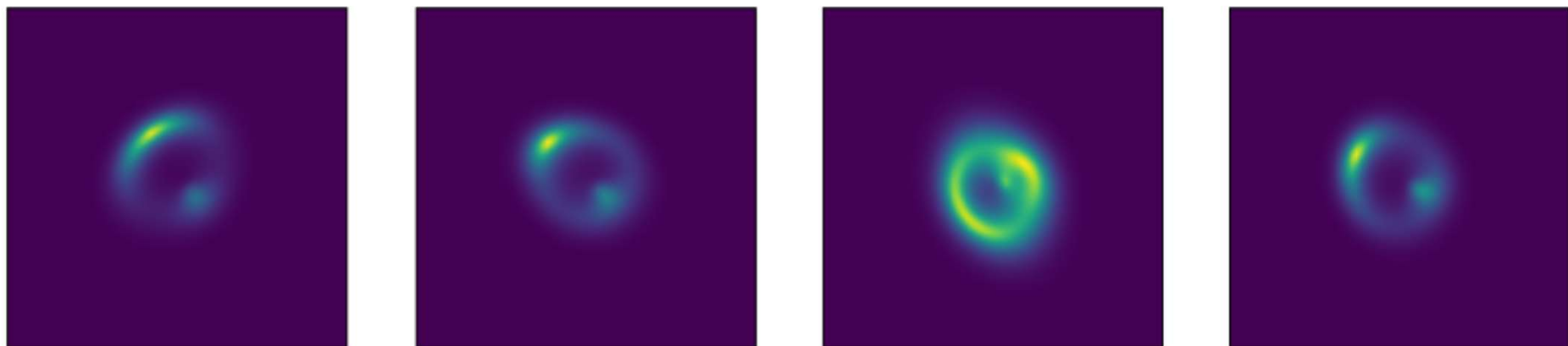


Gravitational Lensing



Source with varying x-y

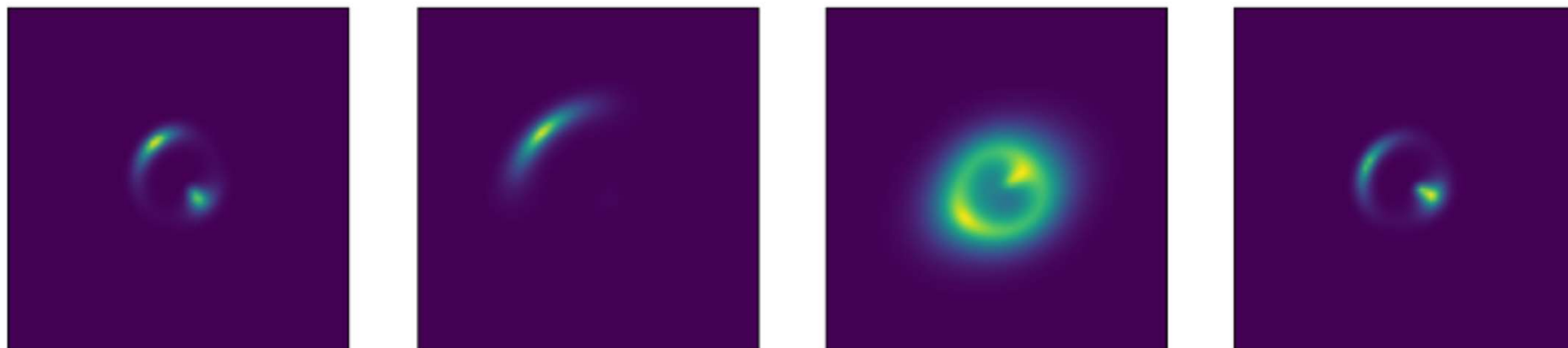




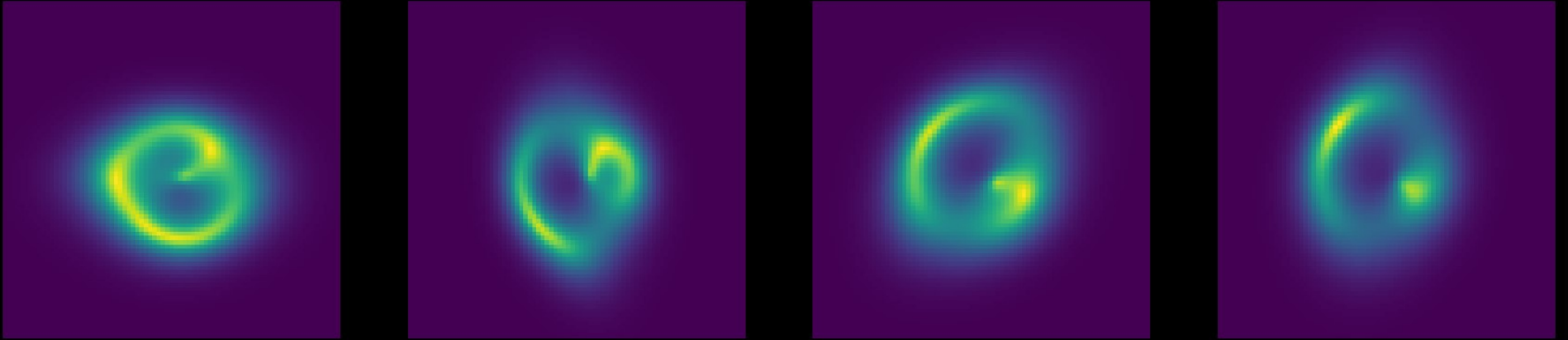
Minimum halo mass 10^9 Msun

Can you tell the difference? I can't...

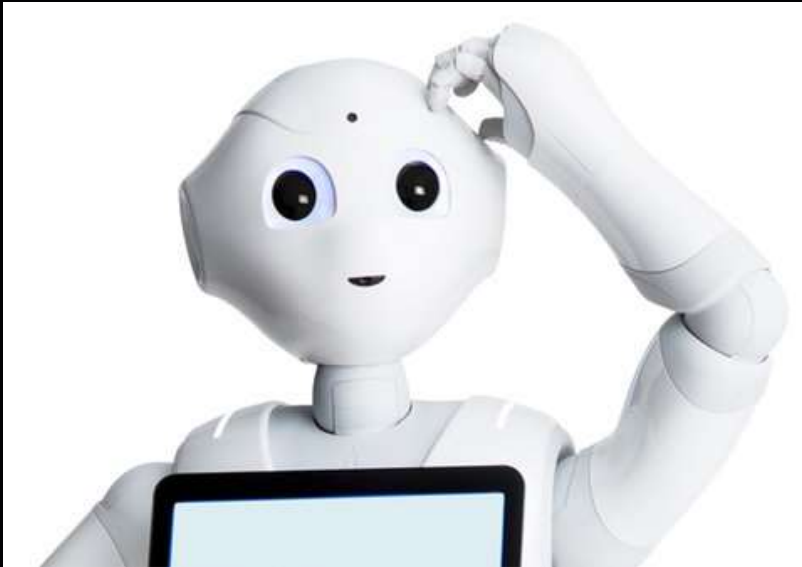
Minimum halo mass 10^6 Msun



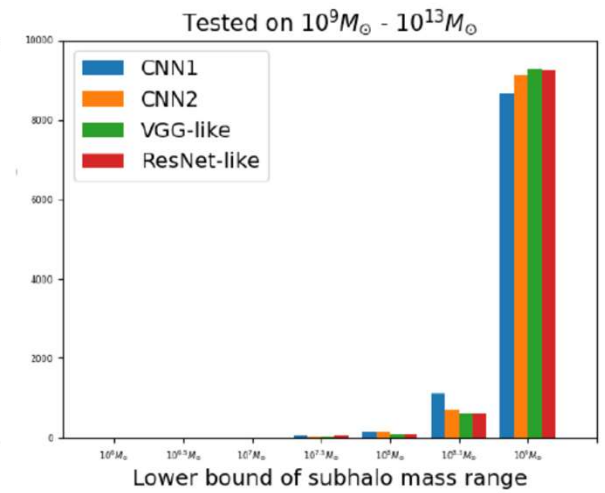
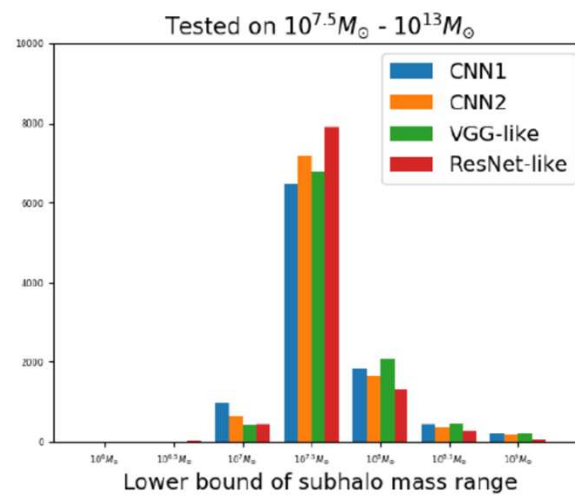
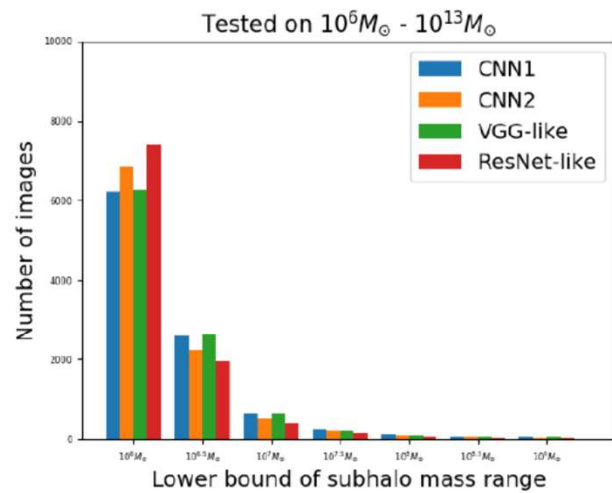
We generate lots of lensed images of galaxies.



Sreedevi Varma



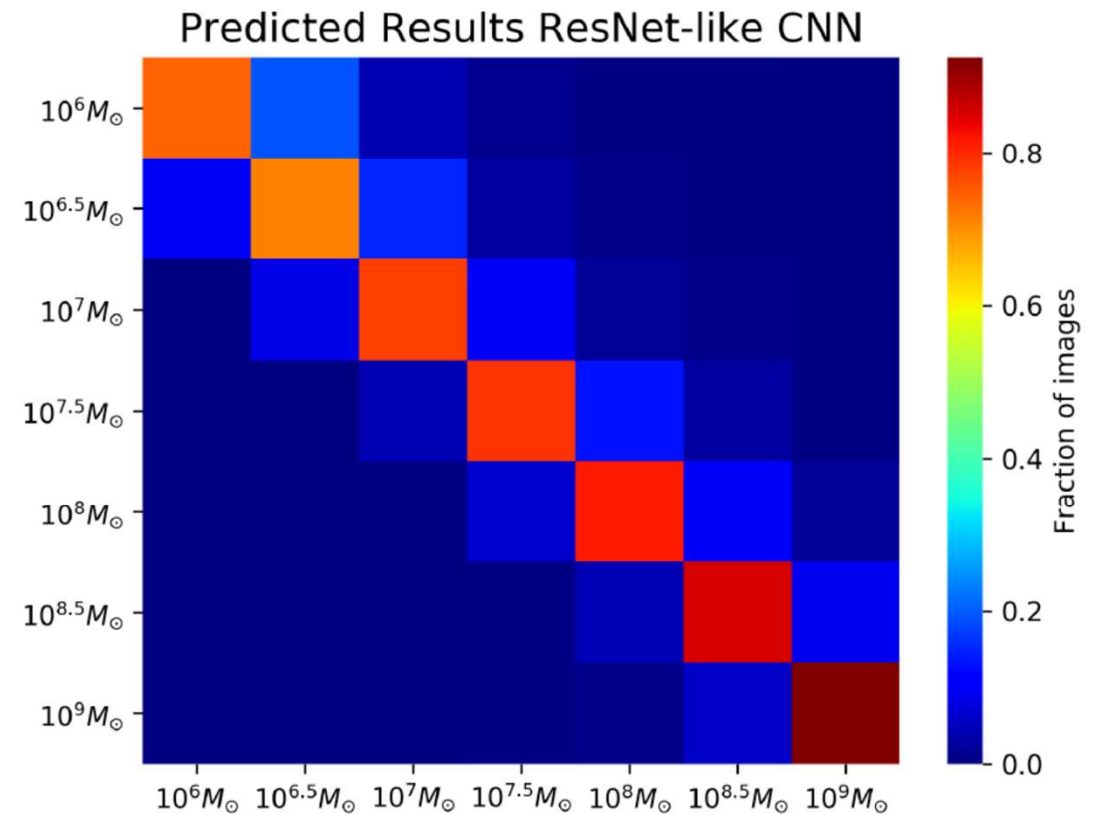
We then use Machine Learning to see if we can tell how small the subhalos are from the shapes of the lensing images. We can!



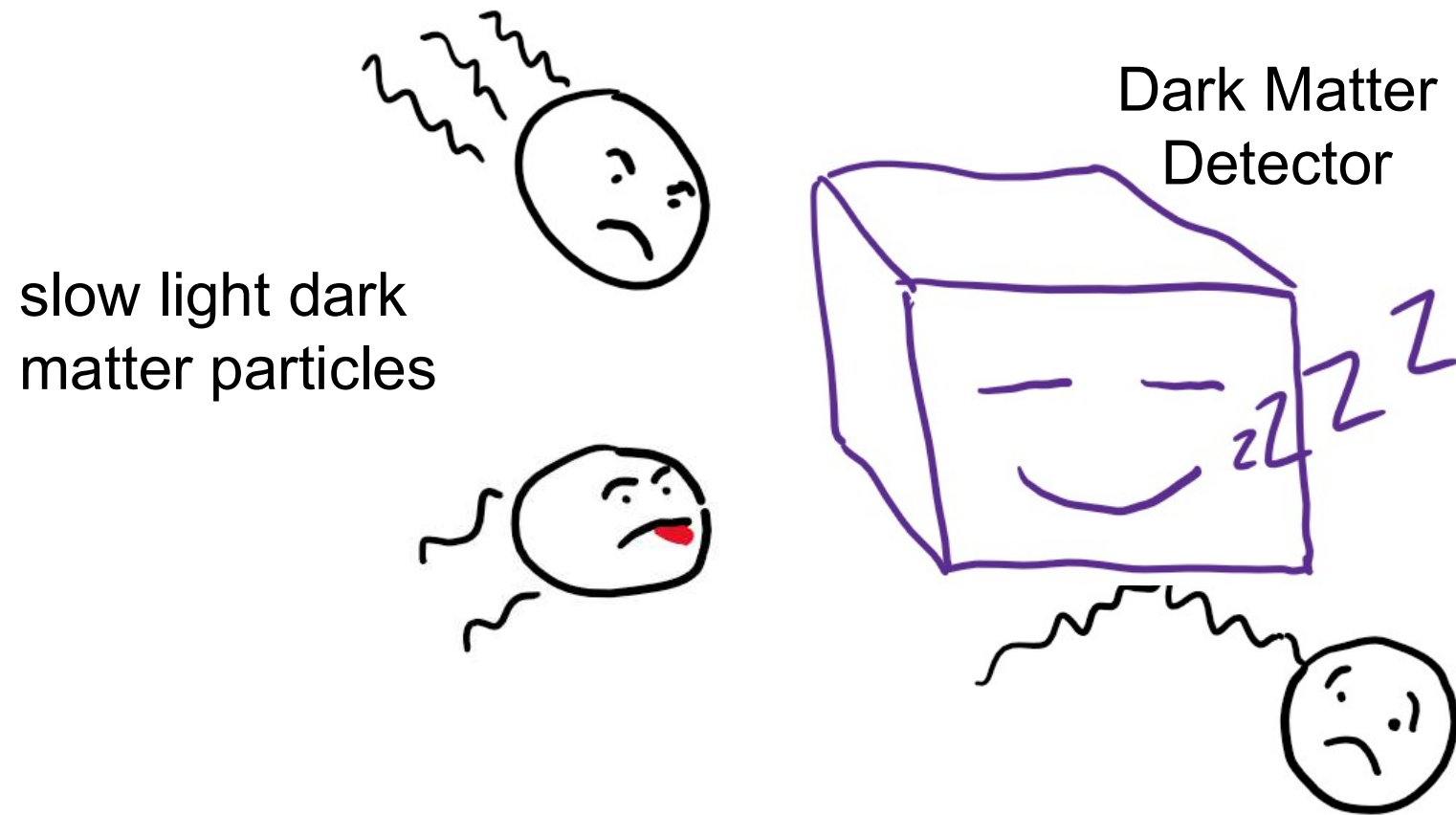
Results of the best chain seems to show we can get within half an order of magnitude to a close approximation!

We need to prove that we can do this while baryons are present... This is not as easy.

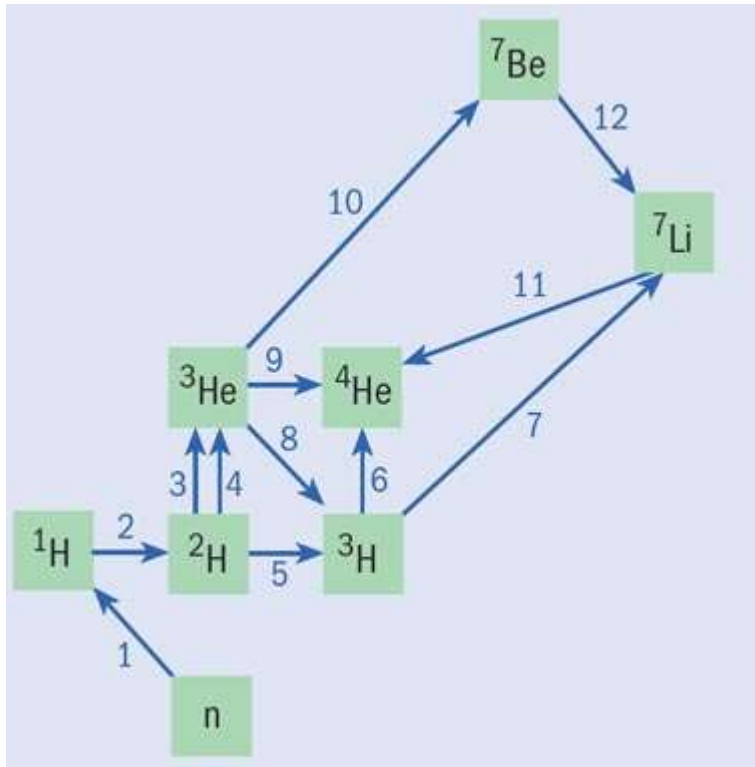
This is new work:-
2005.05353



Too light dark matter



Can still try to find dark matter in other ways



If the dark matter is too light, it can change the prediction for how much helium and deuterium is left behind after the big bang...

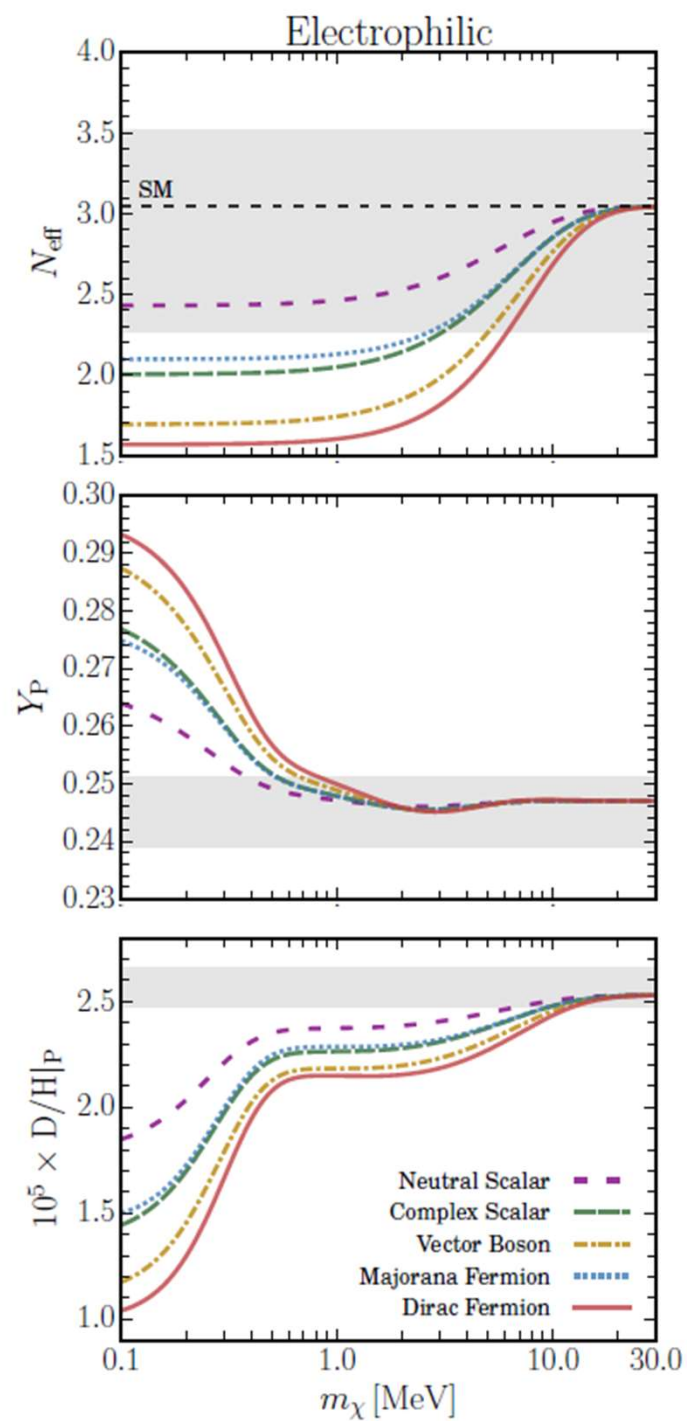
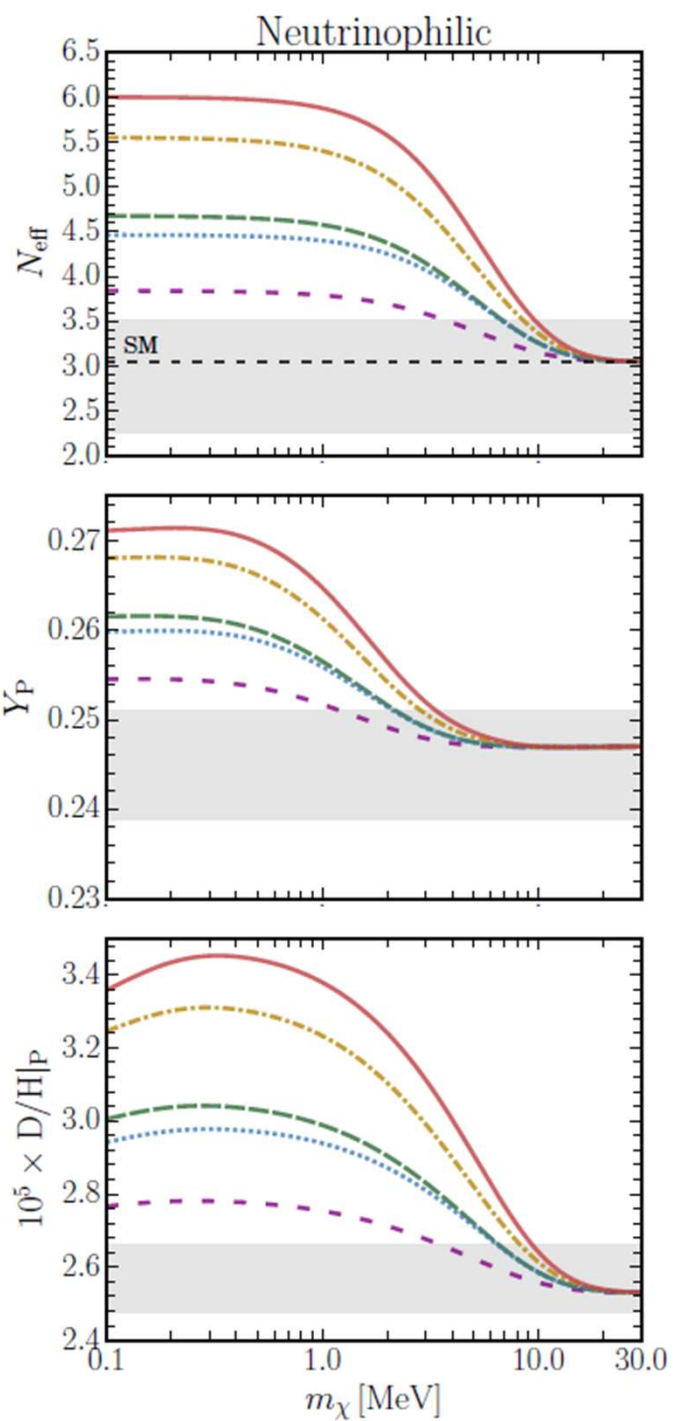
Light Dark Matter changes Evolution of photon and neutrino temperature

$$\text{Neutrinophilic} \left\{ \begin{array}{l} \frac{dT_\nu}{dt} = - \frac{12H\rho_\nu + 3H(\rho_\chi + p_\chi) - 3\frac{\delta\rho_\nu}{\delta t}}{3\frac{\partial\rho_\nu}{\partial T_\nu} + \frac{\partial\rho_\chi}{\partial T_\nu}}, \\ \frac{dT_\gamma}{dt} = - \frac{4H\rho_\gamma + 3H(\rho_e + p_e) + 3HT_\gamma \frac{dP_{\text{int}}}{dT_\gamma} - 3\frac{\delta\rho_\nu}{\delta t}}{\frac{\partial\rho_\gamma}{\partial T_\gamma} + \frac{\partial\rho_e}{\partial T_\gamma} + T_\gamma \frac{d^2P_{\text{int}}}{dT_\gamma^2}}, \end{array} \right.$$

$$\text{Electrophilic} \left\{ \begin{array}{l} \frac{dT_\nu}{dt} = - \frac{12H\rho_\nu - 3\frac{\delta\rho_\nu}{\delta t}}{3\frac{\partial\rho_\nu}{\partial T_\nu}}, \\ \frac{dT_\gamma}{dt} = - \frac{4H\rho_\gamma + 3H(\rho_e + p_e) + 3H(\rho_\chi + p_\chi) + 3HT_\gamma \frac{dP_{\text{int}}}{dT_\gamma} - 3\frac{\delta\rho_\nu}{\delta t}}{\frac{\partial\rho_\gamma}{\partial T_\gamma} + \frac{\partial\rho_e}{\partial T_\gamma} + \frac{\partial\rho_\chi}{\partial T_\gamma} + T_\gamma \frac{d^2P_{\text{int}}}{dT_\gamma^2}}, \end{array} \right.$$

$$\left. \frac{\delta\rho_\nu}{\delta t} \right|_{\text{SM}} = \frac{G_F^2}{\pi^5} \left(1 - \frac{4}{3}s_W^2 + 8s_W^4 \right) \times [32 f_a^{\text{FD}} (T_\gamma^9 - T_\nu^9) + 56 f_s^{\text{FD}} T_\gamma^4 T_\nu^4 (T_\gamma - T_\nu)]$$

$$\left. \frac{\delta\rho_\nu}{\delta t} \right|_\chi = \frac{g_\chi^2 m_\chi^5}{4\pi^4} \left(\langle\sigma v\rangle_{\chi\chi\rightarrow\bar{\nu}\nu} \left[T_\nu^2 K_2^2 \left[\frac{m_\chi}{T_\nu} \right] - T_\chi^2 K_2^2 \left[\frac{m_\chi}{T_\chi} \right] \right] - \langle\sigma v\rangle_{\chi\chi\rightarrow e^+e^-} \left[T_\chi^2 K_2^2 \left[\frac{m_\chi}{T_\chi} \right] - T_\gamma^2 K_2^2 \left[\frac{m_\chi}{T_\gamma} \right] \right] \right)$$



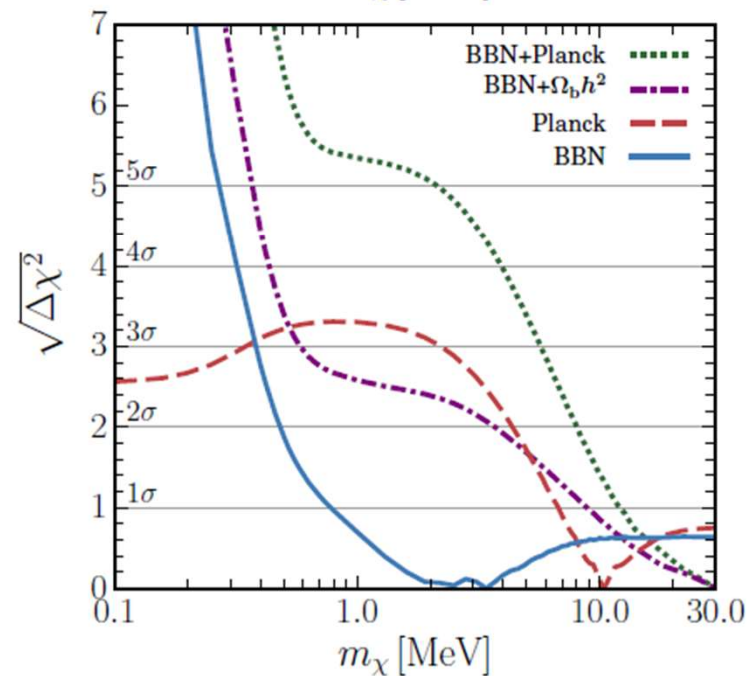
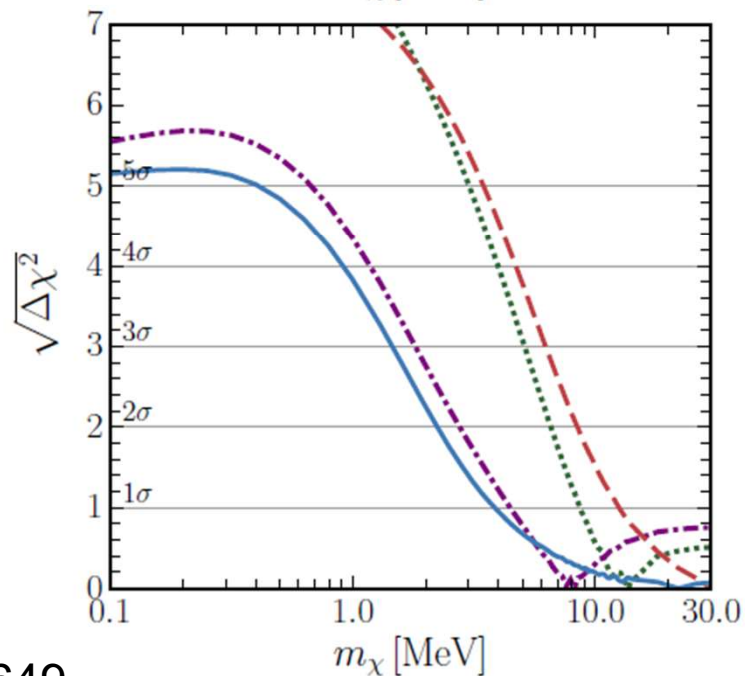
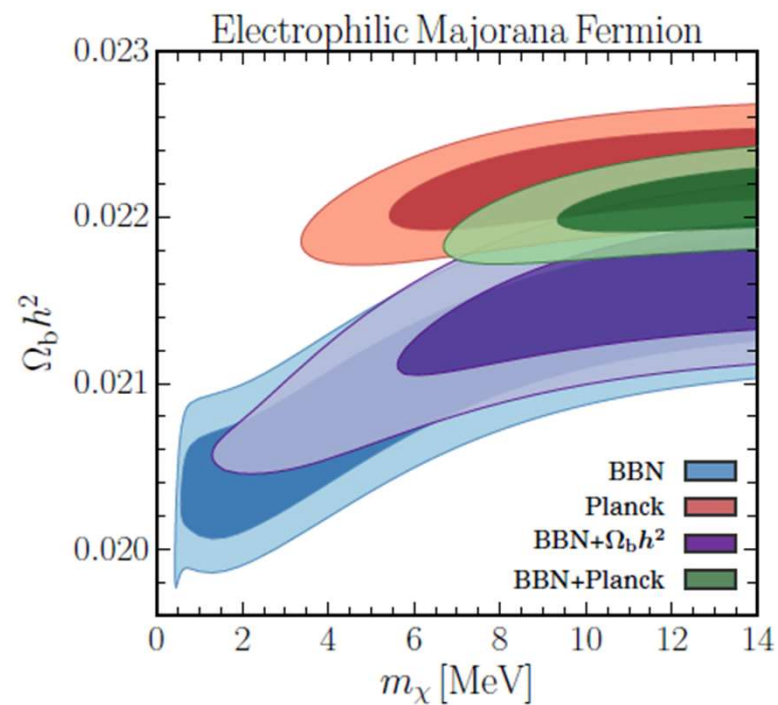
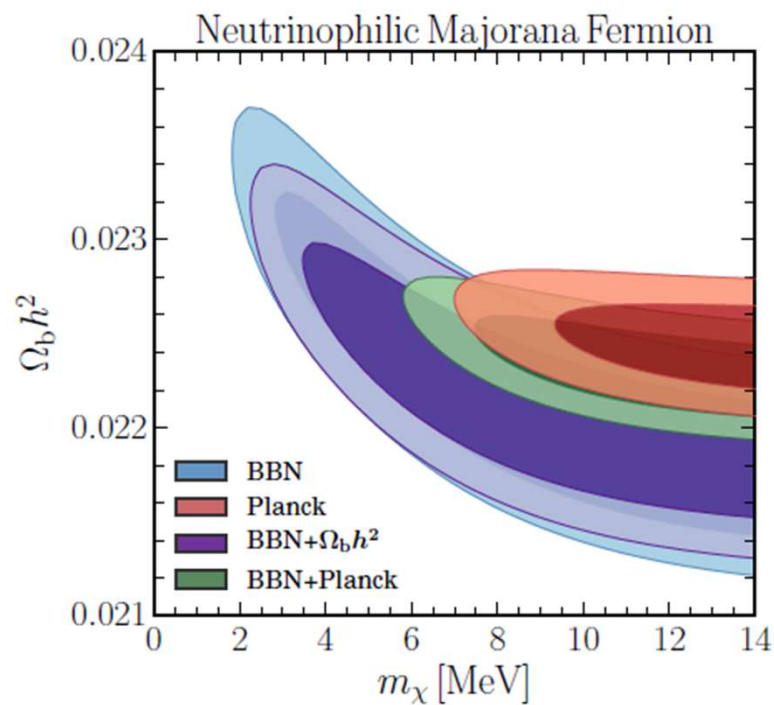
Use state-of-the-art Big Bang Nucleosynthesis code PRIMAT
arXiv:1909.12046

- accurate predictions for He & D and deuterium abundances
- up-to-date nuclear reaction rates
- finite temperature corrections
- incomplete neutrino decoupling etc.

$$\chi_{\text{BBN}}^2 = \frac{[Y_{\text{P}} - Y_{\text{P}}^{\text{Obs}}]^2}{\sigma_{Y_{\text{P}}}^2|_{\text{Theo}} + \sigma_{Y_{\text{P}}}^2|_{\text{Obs}}} + \frac{[\text{D}/\text{H}|_{\text{P}} - \text{D}/\text{H}|_{\text{P}}^{\text{Obs}}]^2}{\sigma_{\text{D}/\text{H}|_{\text{P}}}^2|_{\text{Theo}} + \sigma_{\text{D}/\text{H}|_{\text{P}}}^2|_{\text{Obs}}}$$

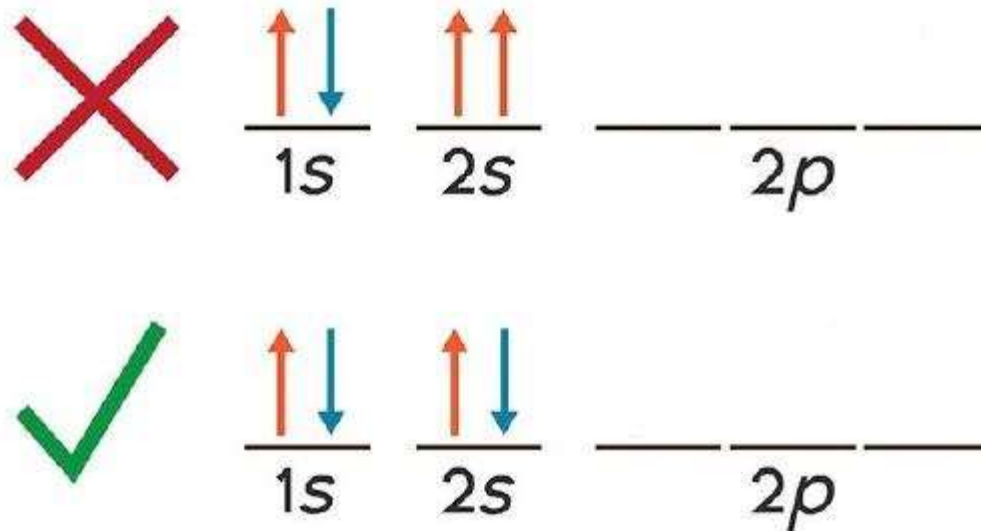
Precision Big Bang Nucleosynthesis with the New Code *PRIMAT*

Cyril PITROU^{1,2}, Alain Coc³, Jean-Philippe UZAN^{1,2} and Elisabeth VANGIONI^{1,2}

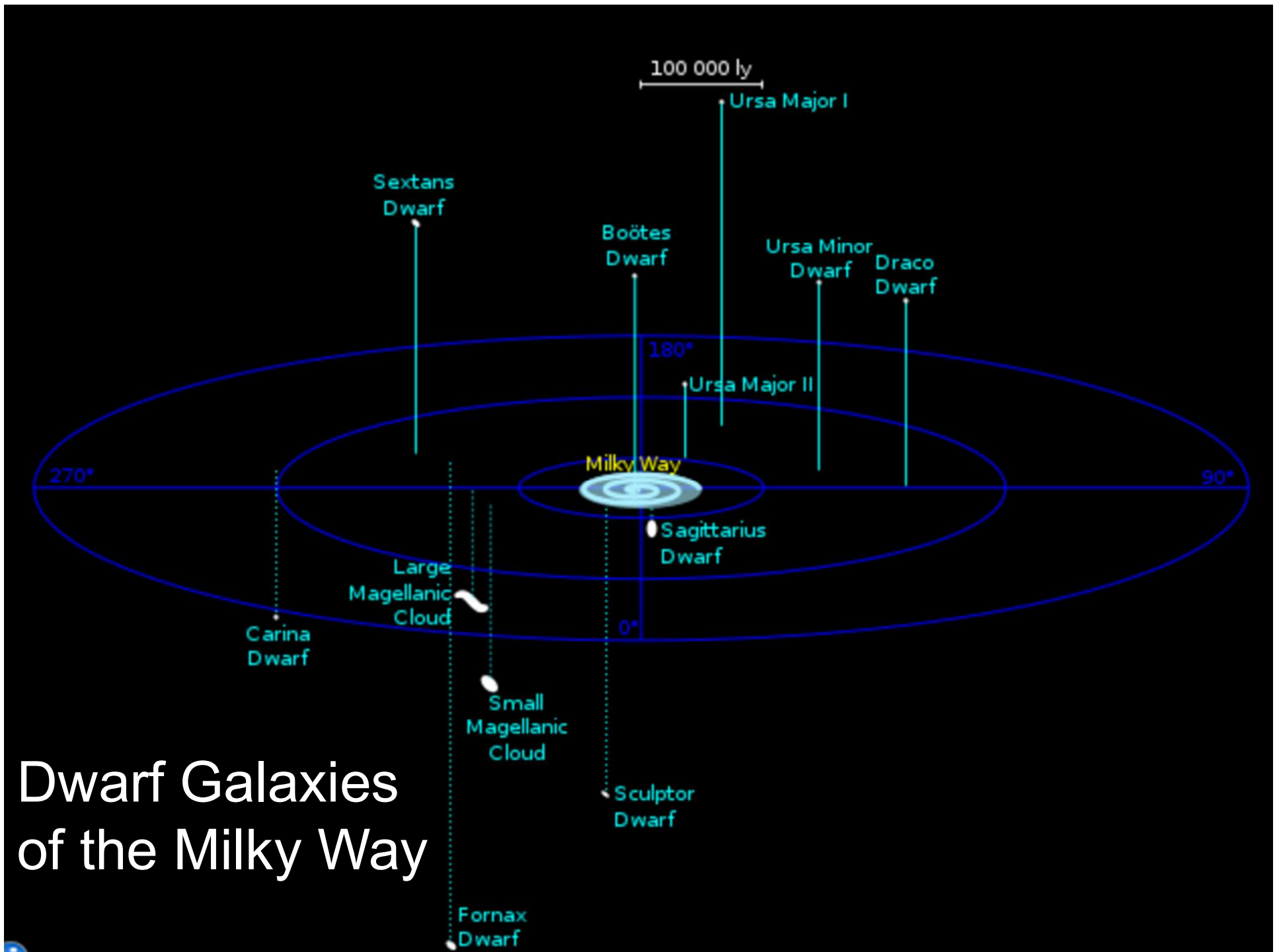


Light Fermionic dark Matter

can we get a constraint from the Pauli exclusion principle?



Original bound from Gunn and Tremaine in 1979 used galaxies to place a constraint on the mass of dark matter.



Dwarf Galaxies of the Milky Way

New Constraints on the Mass of Fermionic Dark Matter from Dwarf Spheroidal Galaxies

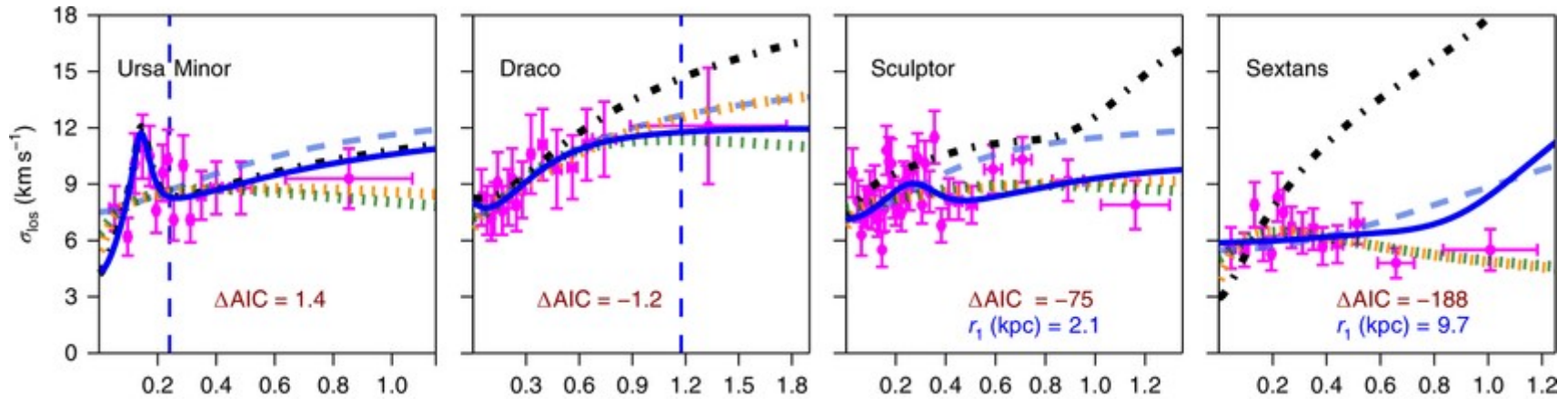
James Alvey, Nashwan Sabti, Victoria Tiki, Diego Blas, Kyrylo Bondarenko, Alexey Boyarsky, Miguel Escudero, Malcolm Fairbairn, Matthew Orkney and Justin I. Read



Dwarf Galaxies heavily dominated
by Dark Matter

arXiv:2010.03572

OBSERVING THE DM DENSITY AND VELOCITY DISPERSION



Valli and Yu 2018

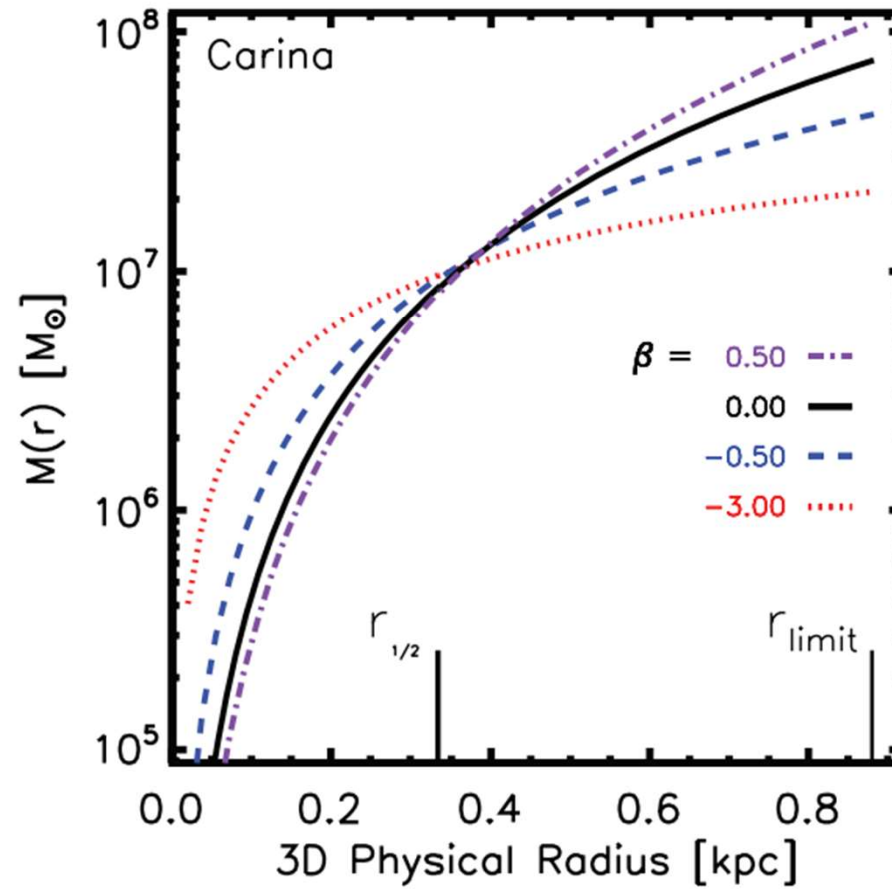
- Jeans equation:

$$\frac{1}{v} \frac{\partial}{\partial r} (v \sigma_r^2) + 2 \frac{\beta(r) \sigma_r^2}{r} = - \frac{GM(r)}{r^2} , \quad \beta = 1 - \frac{\sigma_t^2}{\sigma_r^2}$$

- Observe line-of-sight velocity and projected tracer density:

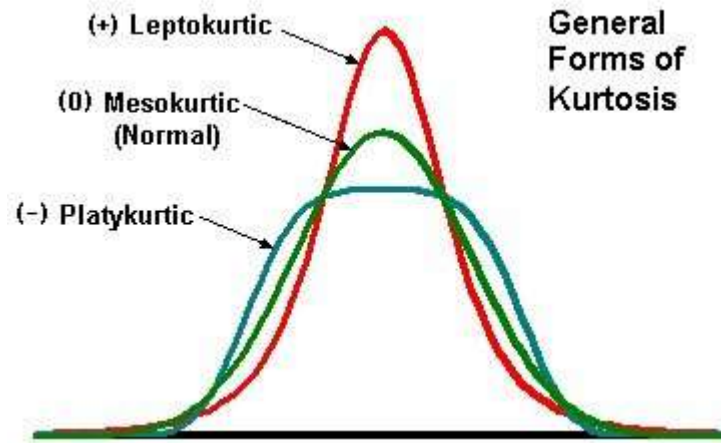
$$\sigma_{\text{LOS}}^2(R) = \frac{2}{\Sigma(R)} \int_R^\infty \left(1 - \beta \frac{R^2}{r^2} \right) v \sigma_r^2 \frac{r dr}{\sqrt{r^2 - R^2}}$$

Leads to famous “beta-degeneracy” e.g. Wolf et al 2009.



What if we include Kurtosis of
LOS velocities?

Merrifield and Kent 1990
Fairbairn and Richardson
2014

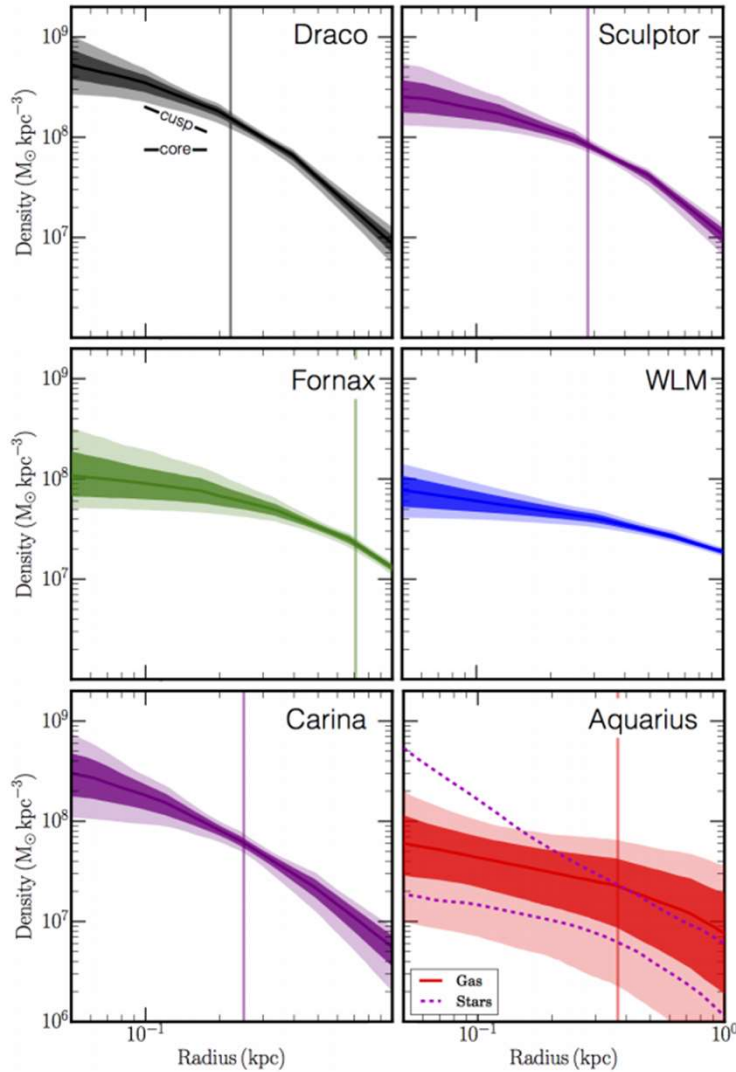


- Introduce virial shape parameters:

$$\text{VSP1} = \int_0^\infty \Sigma \langle v_{\text{LOS}}^4 \rangle R dR = \frac{2}{5} \int_0^\infty v(5 - 2\beta) \sigma_r^2 G M R dR$$
$$\text{VSP2} = \int_0^\infty \Sigma \langle v_{\text{LOS}}^4 \rangle R^3 dR = \frac{4}{35} \int_0^\infty v(7 - 6\beta) \sigma_r^2 G M R^3 dR$$

We marginalise over β using priors from simulations

Can break degeneracies and obtain good density profiles



- Bounds from Pauli's principle – model independent. Fermi velocity:-

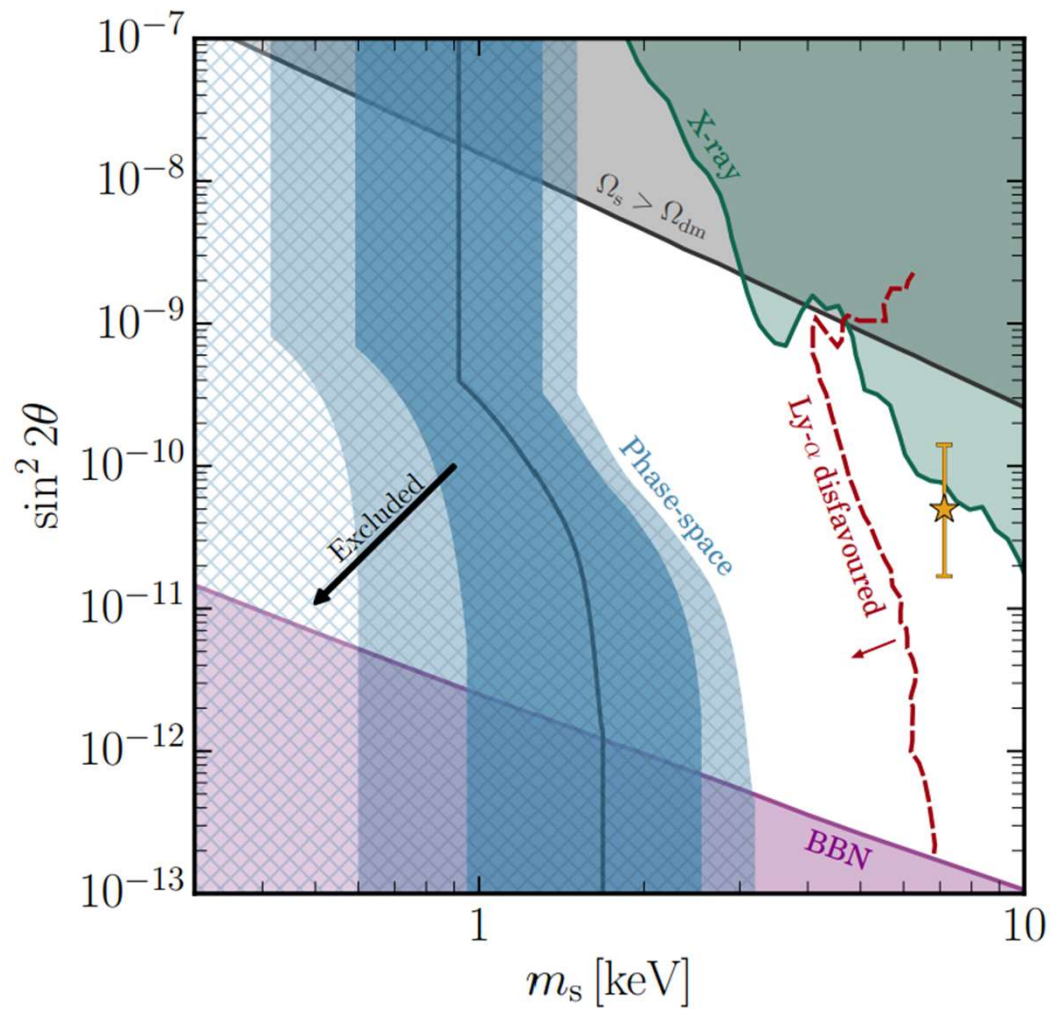
$$v_F = \left(\frac{6\pi^2 \rho(r)}{gm^4} \right)^{1/3}$$

$$v_F < v_{\text{esc}} \rightarrow m_{\text{deg}} > \left(\frac{6\pi^2 \rho(r)}{gv_{\text{esc}}^3(r)} \right)^{\frac{1}{4}} \Bigg|_{r_{\text{min}}}$$

$$= 0.27_{-0.14}^{+0.30} \text{ keV } (2\sigma)$$

Read et al 2018

Constraint on resonantly produced Sterile neutrino models



Uses initial phase space distribution arXiv:2010.03572

The ongoing Search for Dark Matter

- We are well into an era of using novel lensing approaches to learn more about dark matter
- Strong lensing approaches to detecting substructure with machine learning are being developed and refined
- BBN can constrain changes to thermodynamics due to light dark matter
- New techniques to study Dwarf galaxies can lead to new insights on dark matter ($m > 0.27$ keV)
- Precision astronomical probes continue to give us more information about the dark stuff... Whatever it is or isn't...



Science & Technology
Facilities Council

