

# Ultra-high-energy cosmic rays mass composition studies with the Telescope Array Surface Detector data

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- ▶ Overview
- ▶ Method: Multivariate analysis based on Boosted decision trees
- ▶ Data set and results

# UHECR $\gtrsim 10^{18}$ eV composition measurements

Experiment	detector	Observable
HiRes	fluorescence stereo	$X_{MAX}$
Pierre Auger	fluorescence + SD (hybrid)	$X_{MAX}$
Telescope Array	stereo	$X_{MAX}$
Telescope Array	hybrid	$X_{MAX}$
Yakutsk	muon	$\rho_{\mu}$
Pierre Auger	SD	$X_{MAX}^{\mu}$
Pierre Auger	SD	risetime asymmetry

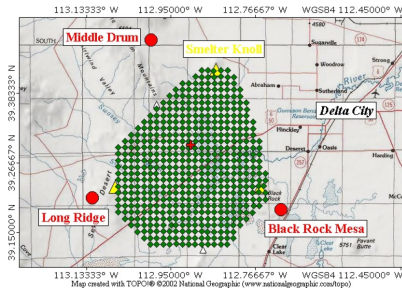
*SD – surface detector*

*$X_{MAX}$  – depth of the shower maximum*

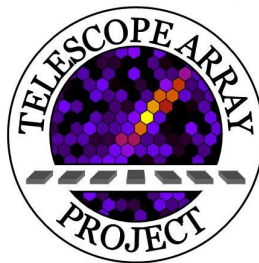
*$X_{MAX}^{\mu}$  – muon production depth*

*risetime – time from 10% to 50% for the total integrated signal*

# Telescope Array Observatory



**Largest UHECR statistics  
in the Northern  
Hemisphere**



- ▶ Utah, 2 hrs drive from Salt Lake City,
- ▶ 507 surface detectors,  $S = 3\text{m}^2$ , spacing 1.2 km
- ▶ 3 fluorescence detectors
- ▶ 10 years of operation

# Method outline

1. Reconstruct every event, get the values of composition-sensitive observables.
2. Multivariate analysis:  $(a, AoP, \dots) \rightarrow \xi^i$ . A set of observables is transformed into a single variable. The latter is used for composition analysis.
3. Compare distribution of  $\xi$  with Monte-Carlo modelling.
4. Result: average atomic mass  $\langle \log A \rangle$  as a function of energy.

# List of relevant observables

1. Linsley front curvature parameter,  $a$ ;
2. Area-over-peak (AoP) of the signal at 1200 m;

Pierre Auger Collaboration, Phys.Rev.Lett. 100 (2008) 211101

3. AoP slope parameter;
4. Number of detectors hit;
5. N. of detectors excluded from the fit of the shower front;
6.  $\chi^2/d.o.f.$  of the LDF fit;
7.  $S_b = \sum S_i \times r^b$  parameter for  $b = 3$  and  $b = 4.5$ ;

Ros, Supanitsky, Medina-Tanco et al. Astropart.Phys. 47 (2013) 10

8. The sum of signals of all detectors of the event;
9. Asymmetry of signal at upper and lower layers of detectors;
10. Total n. of peaks within all FADC traces;
11. N. of peaks for the detector with the largest signal;
12. N. of peaks present in the upper layer and not in lower;
13. N. of peaks present in the lower layer and not in upper;

# Linsley front curvature parameter

Shower front is fit using the following function:

$$t_0(r) = t_0 + t_{plane} + a \times 0.67 (1 + r/R_L)^{1.5} LDF(r)^{-0.5}$$

$$LDF(r) = f(r)/f(800 \text{ m})$$

$$f(r) = \left(\frac{r}{R_m}\right)^{-1.2} \left(1 + \frac{r}{R_m}\right)^{-(\eta-1.2)} \left(1 + \frac{r^2}{R_1^2}\right)^{-0.6}$$

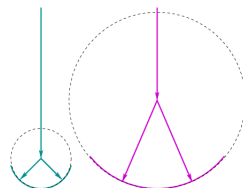
$$R_m = 90.0 \text{ m}, R_1 = 1000 \text{ m}, R_L = 30 \text{ m}$$

$$\eta = 3.97 - 1.79(\sec(\theta) - 1)$$

$t_{plane}$  – shower plane delay

$a$  – Linsley front curvature parameter

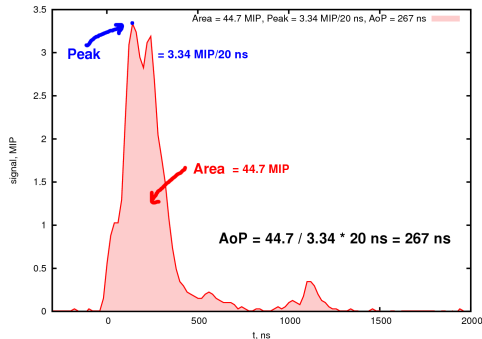
$LDF$  – lateral distribution function



Deeper shower  
maximum leads to  
more curved front.

# Area-over-peak (AoP) and area-over-peak slope

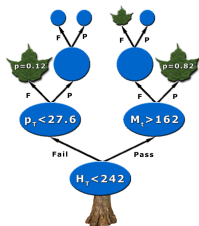
- ▶ Consider a surface station time-resolved signal



- ▶ Both peak and area are well-measured and not much affected by fluctuations
- ▶  $AoP(r)$  is fitted with a linear fit:
  - ▶  $AoP(r) = \alpha - \beta(r/r_0 - 1.0)$
  - ▶  $r_0 = 1200$  m,  $\alpha$  - value at 1200 m,  $\beta$  - slope



# Boosted decision trees



Y. Coadou, ESIPAP'16

- ▶ For each variable, find splitting value with best separation between two branches: mostly signal in one branch, mostly background in another;
- ▶ Repeat algorithm recursively on each branch: take a new variable or reuse the former;
- ▶ Iterate until stopping criterion is reached (e.g. number of events in a branch). Terminal node = leaf;
- ▶ Boosting: create a good classifier using a number of weak ones (building a forest).

# MVA BDT analysis

- ▶ The Boosted Decision Trees (BDT) technique is used to build  $p$ - $Fe$  classifier based on multiple observables.

Pierre Auger Collaboration, ApJ, 789, 160 (2014)

- ▶ BDT is trained with Monte-Carlo sets:  $Fe$  (Signal) and  $p$  (Background)
- ▶ BDT classifier is used to convert the set of observables for an event to a number  $\xi \in [-1 : 1]$ : 1 - pure signal ( $Fe$ ), -1 - pure background ( $p$ ).
- ▶  $\xi$  is available for one-dimensional analysis.

# Data and Monte-Carlo sets

- ▶ 9-year data collected by the TA surface detector:  
**2008-05-11 — 2017-05-11**

## Cuts:

1. Events with 7 or more triggered counters
2. Events with zenith angle  $\theta < 45^\circ$ .
3. Events with reconstructed core position of at least 1200 m away from the edge of the array.
4. Events with  $\chi_G^2/d.o.f. < 4$  and  $\chi_{LDF}^2/d.o.f. < 4$ .
5. Events with geometry reconstructed with accuracy less than  $5^\circ$ .
6. Events with the fractional uncertainty of the  $S_{800}$  less than 25 %.
7. Events with  $E > 10^{18}$  eV.

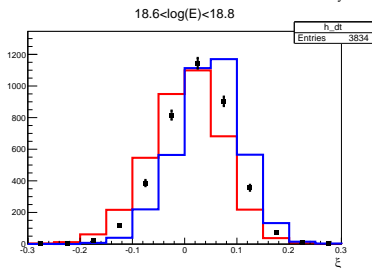
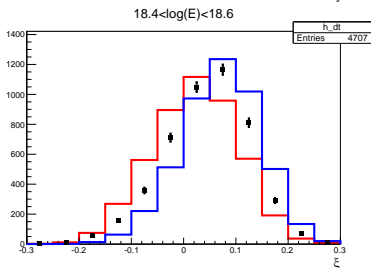
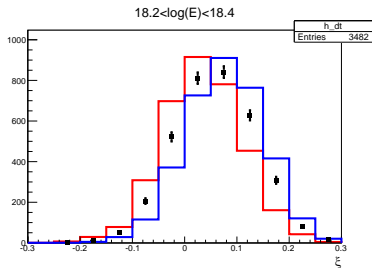
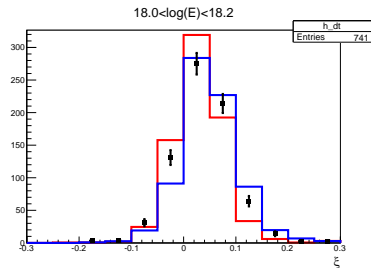
**18077 events after cuts**

# Data and Monte-Carlo sets

**p** and **Fe** Monte-Carlo sets with QGSJETII-03

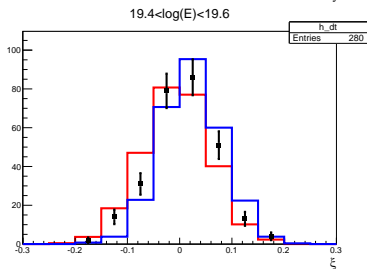
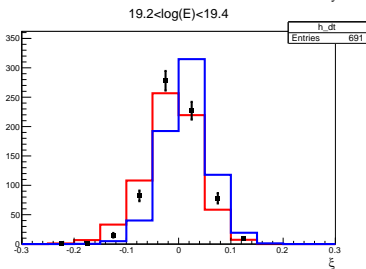
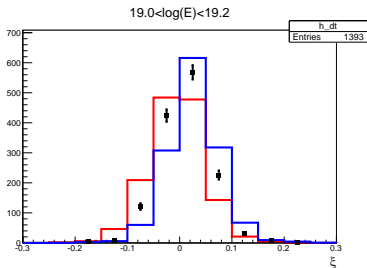
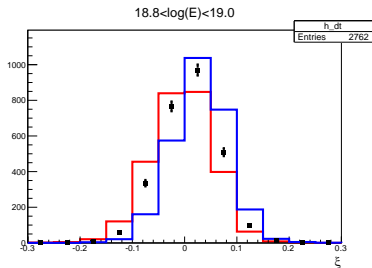
**Note:** MC sets are split into 3 equal parts: (I) for training the classifier, (II) for MVA estimator calculation, (III) for determination of systematical uncertainties.

# Distribution of MVA estimator $\xi$



proton, iron, data

# Distribution of MVA estimator $\xi$

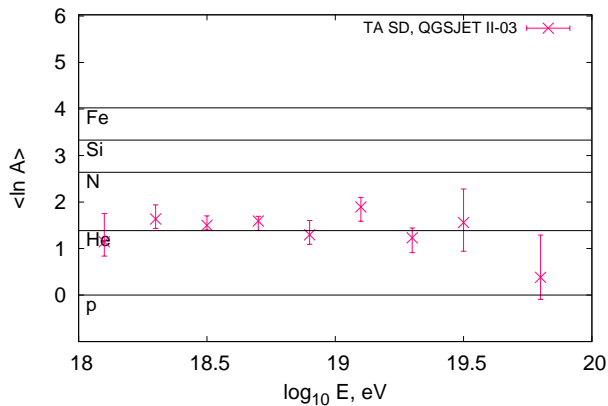


proton, iron, data

## $\xi$ parameter conversion to $\langle \ln A \rangle$

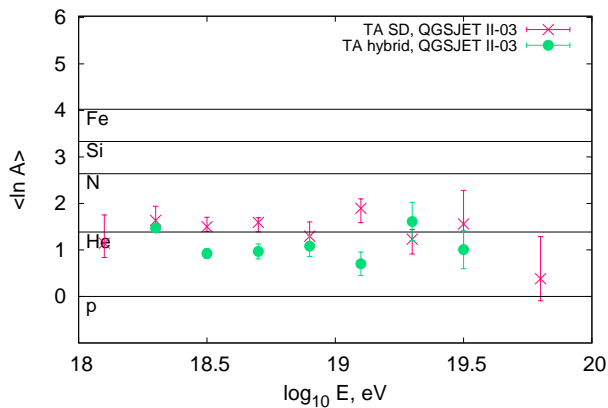
1. After applying the BDT method,  $\xi$  parameter distribution is derived for proton and iron MC and for the data in each energy bin.
2. The range between  $\ln A = 0$  (proton) and  $\ln A = 4.02$  (iron) is divided into 40 equal parts. At every point a “mixture” of protons and iron (e.g. 5 % p and 95 % Fe) is produced.
3. KS-distance between  $\xi$  parameter distribution of the each “mixture” and data is performed, and the case with the smallest KS-distance is chosen.
4. First approximation of average  $\ln A$  is estimated as  $\langle \ln A^{(1)} \rangle = \epsilon_p \times \ln(1) + (1 - \epsilon_p) \times \ln(56)$ , where  $\epsilon_p$  is a fraction of protons in the mixture.

# Results: TA SD (MVA) composition



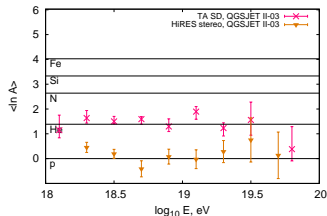


# Results comparison: TA SD (MVA) vs TA hybrid

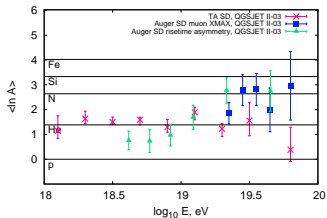


[TA] W.Hanlon, UHECR'16

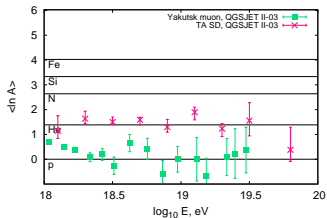
# MVA result compared to other experiments



HiRes stereo, PRL, 2010



Pierre Auger Observatory  $X_{MAX}^{\mu}$  and  
risetime asymmetry, ICRC'11



Yakutsk  $\rho_{\mu}$  JPhysG, 2012

# Conclusion

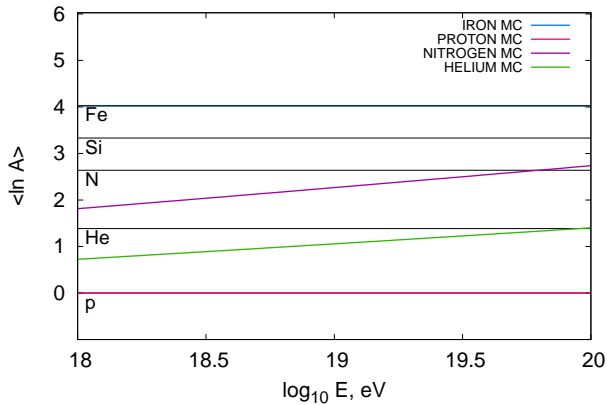
- ▶ The composition is qualitatively consistent with the TA hybrid results.
- ▶ It is also qualitatively consistent with the Auger SD results.
- ▶ The average atomic mass of primary particles corresponds to  $\langle \ln A \rangle = 1.52 \pm 0.08(stat.) \pm 0.1(syst.)$ .

# Backup slides

# Method verification

- ▶ The source of systematic uncertainties is the two-component assumption.
- ▶ The method is tested with He and N Monte-Carlo sets.

# Method verification



# Boosting (AdaBoost)

- ▶ Given a weak learner, run it multiple times on (reweighted) training data.
- ▶ On each iteration  $t$ : weight each training example by how incorrectly it was classified.
- ▶ New tree with reweighted events is built and optimized.
- ▶ Average over all trees to create a better classifier.

# Bias corrections

Since now proton and iron MC points don't perfectly fit the straight lines  $\ln A = 0$  and  $\ln A = 4.02$ , the data can be corrected assuming the MC points to be the endpoints of the segment  $\ln A \in [0; 4.02]$  with the following linear function:

$$y_{cor} = \frac{y - y_p(x)}{y_{Fe}(x) - y_p(x)} \times \ln(56),$$

where  $y_p(x)$  and  $y_{Fe}(x)$  are linear approximations for the MC  $\langle \ln A \rangle$  distributions.



# The $S_b$ parameter

$$S_b = \sum_{i=1}^N \left[ S_i \times \left( \frac{r_i}{r_0} \right)^b \right]$$

$S_i$  – signal of i-th detector

$r_i$  – distance from the shower core to this station in meters

$r_0 = 1000$  m – reference distance

Best separation is for  $b = 3$  &  $b = 4.5$ .

Ros, Supanitsky, Medina-Tanco et al. *Astropart.Phys.* 47 (2013) 10

# Why primary composition is important?

- ▶ understand the acceleration mechanisms
- ▶ predict the flux of cosmogenic photons and neutrino
- ▶ probe the interaction cross-section at the highest energies
- ▶ precision tests of Lorentz-invariance